

Artificial Intelligence in Industry-4.0

Report

RF-modulation classifier

Mihai-Tiberiu Dima

University of Bucharest – Romania



- 1 *Artificial Intelligence*
- 2 *Data pre-processing*
- 3 *Neural net training*
- 4 *Neuromorphic algorithm*



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Industry 4.0

The term “**Industry 4.0**” originated in 2011 at the **Hanover Fair** in **Germany**.

Industry 4.0 is known as “**Industrie 4.0**” in Germany, “**Connected Enterprise**” in the United States and the “**Fourth Industrial Revolution**” in the United Kingdom

Industry 4.0 or “**Industrie 4.0**” came as a result of the Germany initiative to **enhance competitiveness** in a **manufacturing industry**. Germany Federal Government vision for a **high-Tech strategy for 2020** gave birth to the buzzword “**Industrie 4.0**”.

Definition

Despite this widely discussed buzzword, there is no clear definition of the term.

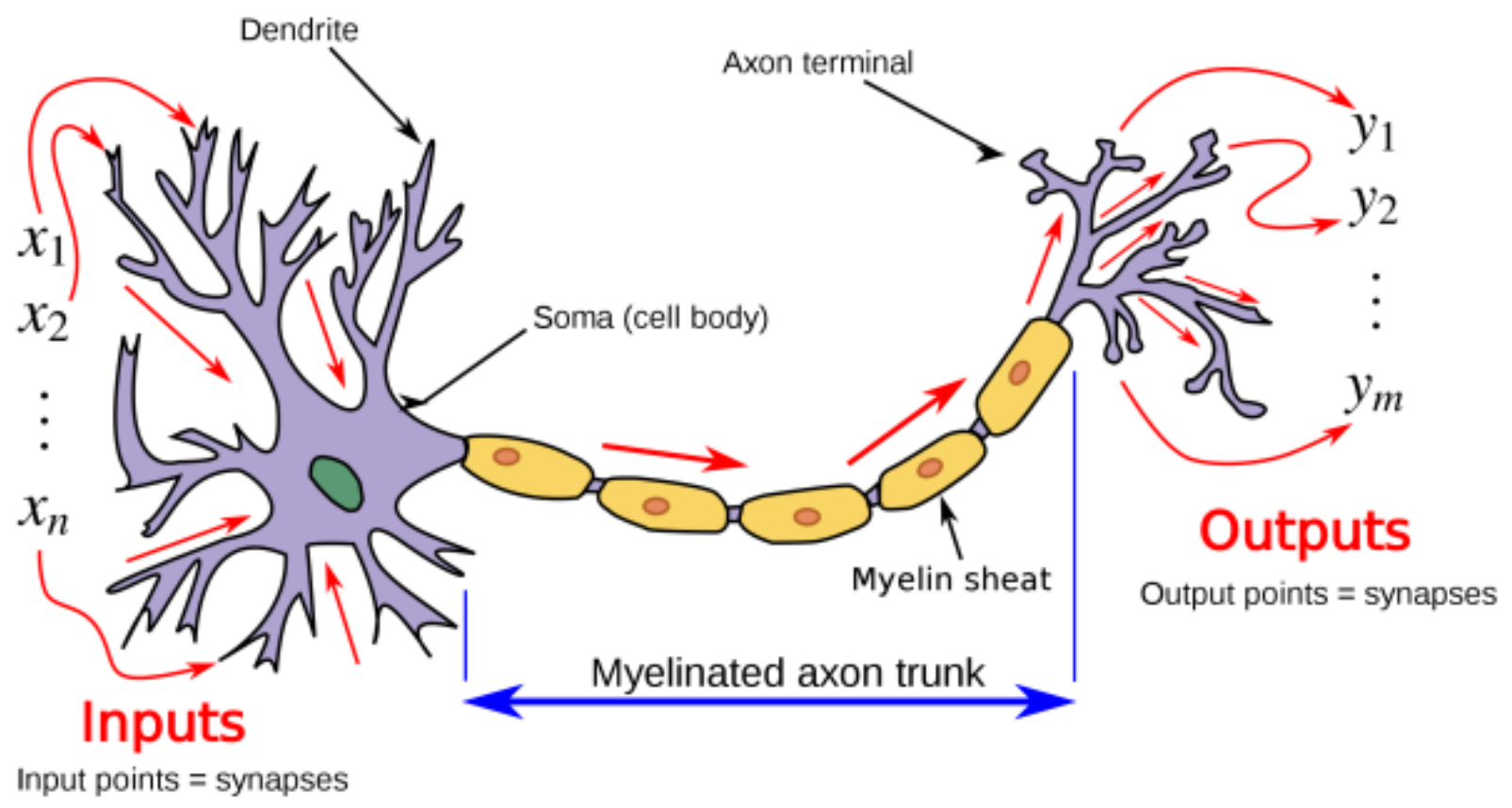
Industry 4.0 was defined in terms of **Smart Industry** or “**Industrie 4.0**” which refers to the **technological evolution** from embedded systems to **cyber-physical systems**.

Industry 4.0 can also be referred to as “a **name for the current trend of automation and data exchange in manufacturing technologies**, including cyber-physical systems, **the Internet of things**, **cloud computing** and **cognitive computing** and creating the **smart factory**”



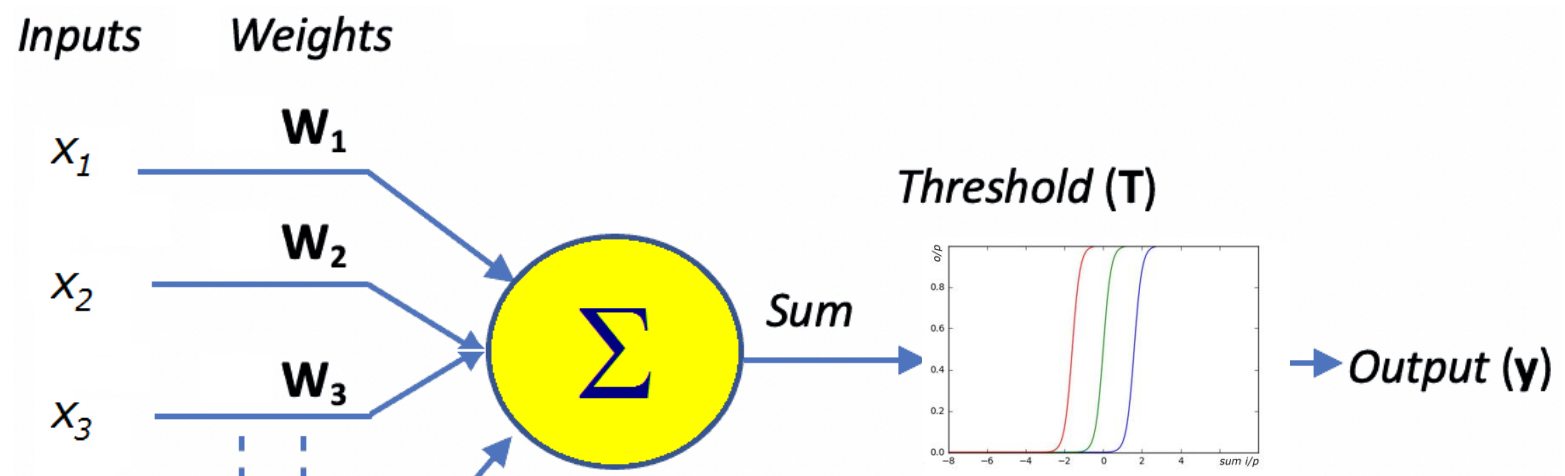
Bio-analogy

- representation of data selection with:
 - *sum*
 - *threshold*



Artificial Intelligence

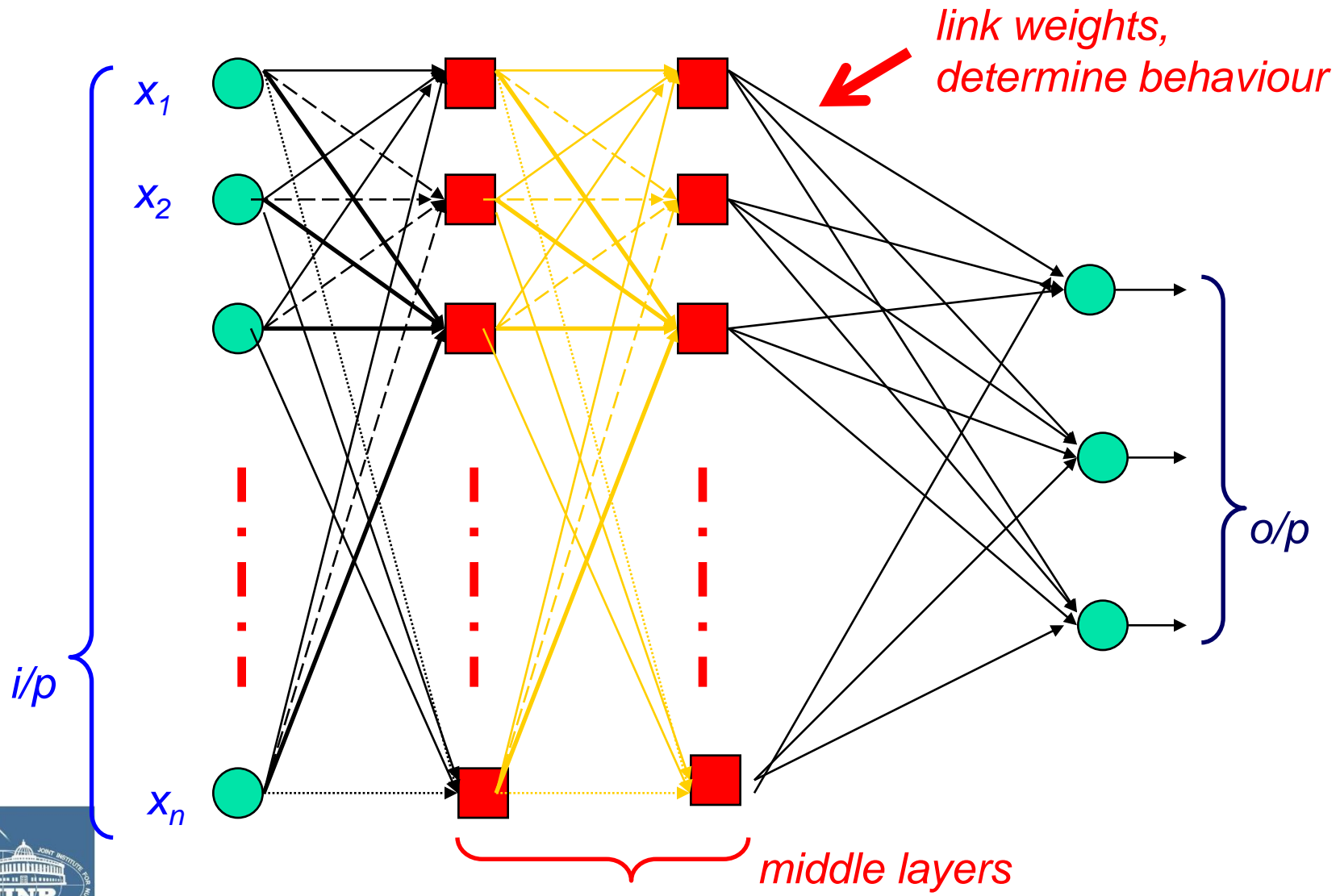
- representation of data selection with:
 - *sum*
 - *threshold*



McCulloch-Pitts neuron



Multi-layer perceptron



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Hydra accounts

- log onto *waves@hydra.jinr.ru*
- password = *******
- choose a student nr.
 - use that directory
 - do not interfere w/ the others
 - we use all the same account
- “launch” a project: *./addx ELA medium*
- work on the project:
 - compile into libraries: *make libs*
 - compile test: *make test*
 - run: *make run*
 - clean: *make clean*
- *this was so cool that we had access to this !*



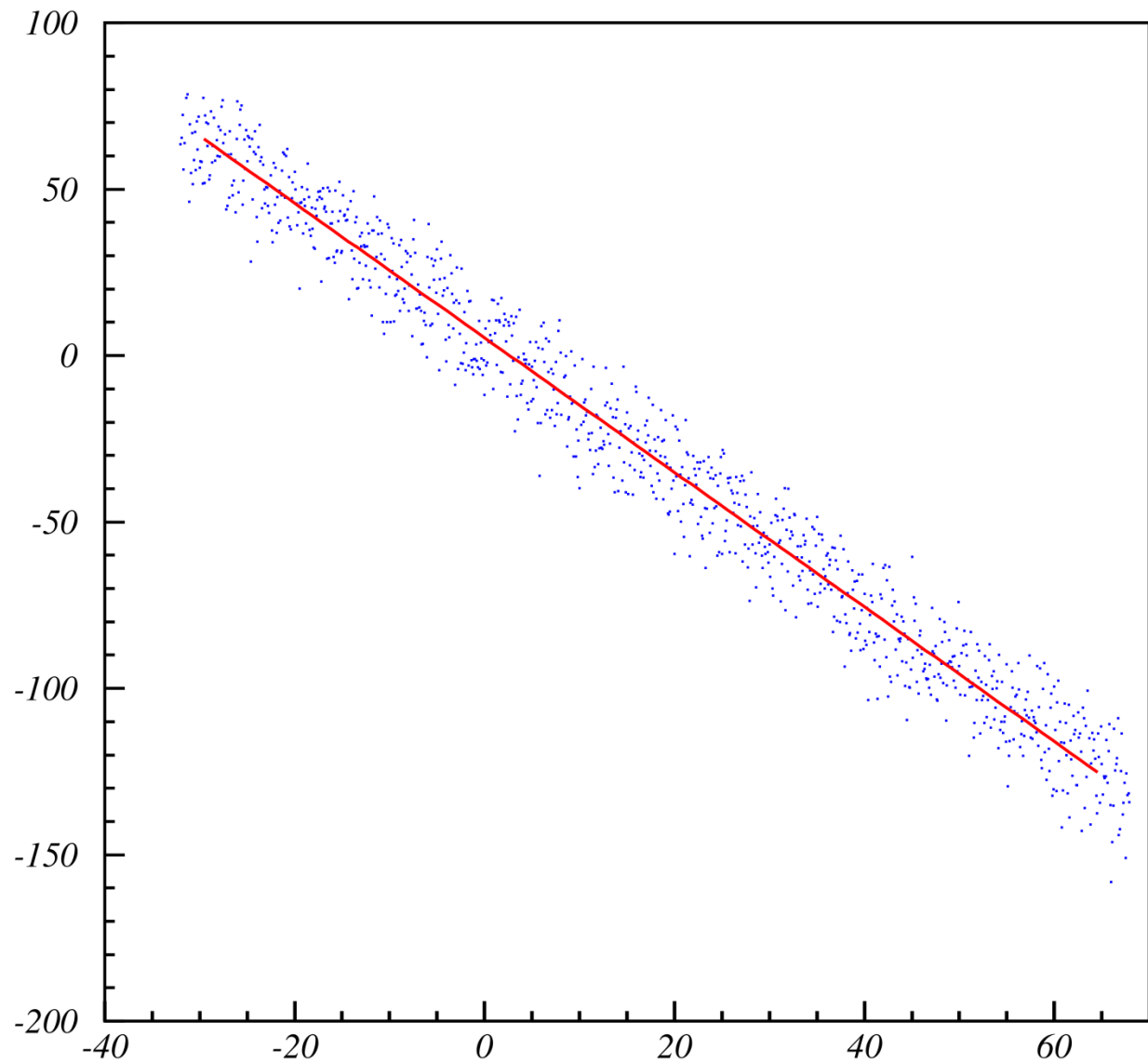
Review PROJ

χ^2 fits - are a first (simple)-application of what you learned so far.

Organise in 3 groups and work these projects. Report your results using the [template](#) on the main page of the course.

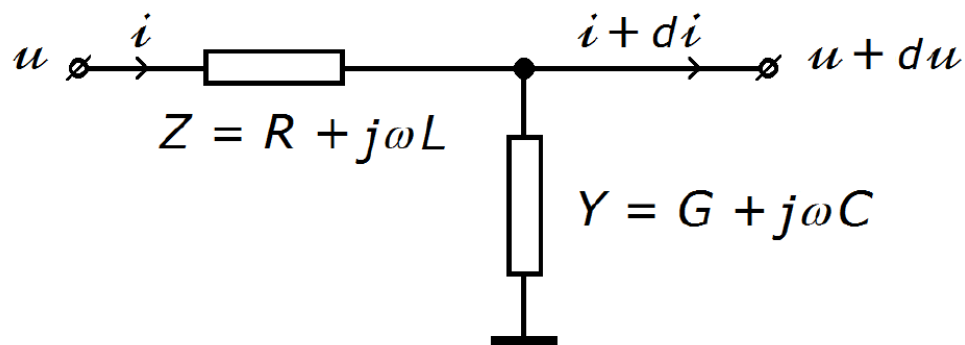
$$a = \frac{\langle \frac{1}{\sigma^2} \rangle \langle \delta x \cdot \delta \left(\frac{y}{\sigma^2} \right) \rangle - \langle \delta x \cdot \delta \left(\frac{1}{\sigma^2} \right) \rangle \langle \frac{y}{\sigma^2} \rangle}{\langle \delta x \cdot \delta \left(\frac{x}{\sigma^2} \right) \rangle \langle \frac{1}{\sigma^2} \rangle - \langle \delta x \cdot \delta \left(\frac{1}{\sigma^2} \right) \rangle \langle \frac{x}{\sigma^2} \rangle}$$
$$b = \frac{\langle \delta x \cdot \delta \left(\frac{x}{\sigma^2} \right) \rangle \langle \frac{y}{\sigma^2} \rangle - \langle \frac{x}{\sigma^2} \rangle \langle \delta x \cdot \delta \left(\frac{y}{\sigma^2} \right) \rangle}{\langle \delta x \cdot \delta \left(\frac{x}{\sigma^2} \right) \rangle \langle \frac{1}{\sigma^2} \rangle - \langle \delta x \cdot \delta \left(\frac{1}{\sigma^2} \right) \rangle \langle \frac{x}{\sigma^2} \rangle}$$

- example worked well



SU2 package

- model dispersion of a square wave on a transmission line:



$$-\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} \partial_x \equiv \begin{pmatrix} 0 & L \\ C & 0 \end{pmatrix} \partial_t + \begin{pmatrix} 0 & R \\ G & 0 \end{pmatrix} \bigg| \begin{pmatrix} u \\ i \end{pmatrix}$$

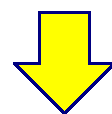
$Z_0 = Y_0^{-1} = \sqrt{L/C}$, line characteristic impedance

$\lambda_d^{-1} = (RY_0 - GZ_0)/2$, dispersion length

$\lambda_a^{-1} = (RY_0 + GZ_0)/2$, attenuation length

$c = 1/\sqrt{LC}$, signal propagation speed

- *equation:* $\partial_x + \sigma_1(\partial_{ct} + \lambda_a^{-1}) + j\sigma_2\lambda_d^{-1} = 0 \big|_{\psi}$

 $\psi = e^{-ct/\lambda_a} \phi$

$$\partial_x + \sigma_1 \partial_{ct} + j\sigma_2 \lambda_d^{-1} = 0 \big|_{\phi}$$

- *solution:*

$$\phi = e^{-\gamma^2(1+\sigma_1\beta)\frac{j\sigma_2}{\lambda_d}(x-vt)} \big|_{\phi_0}$$

SU2 package

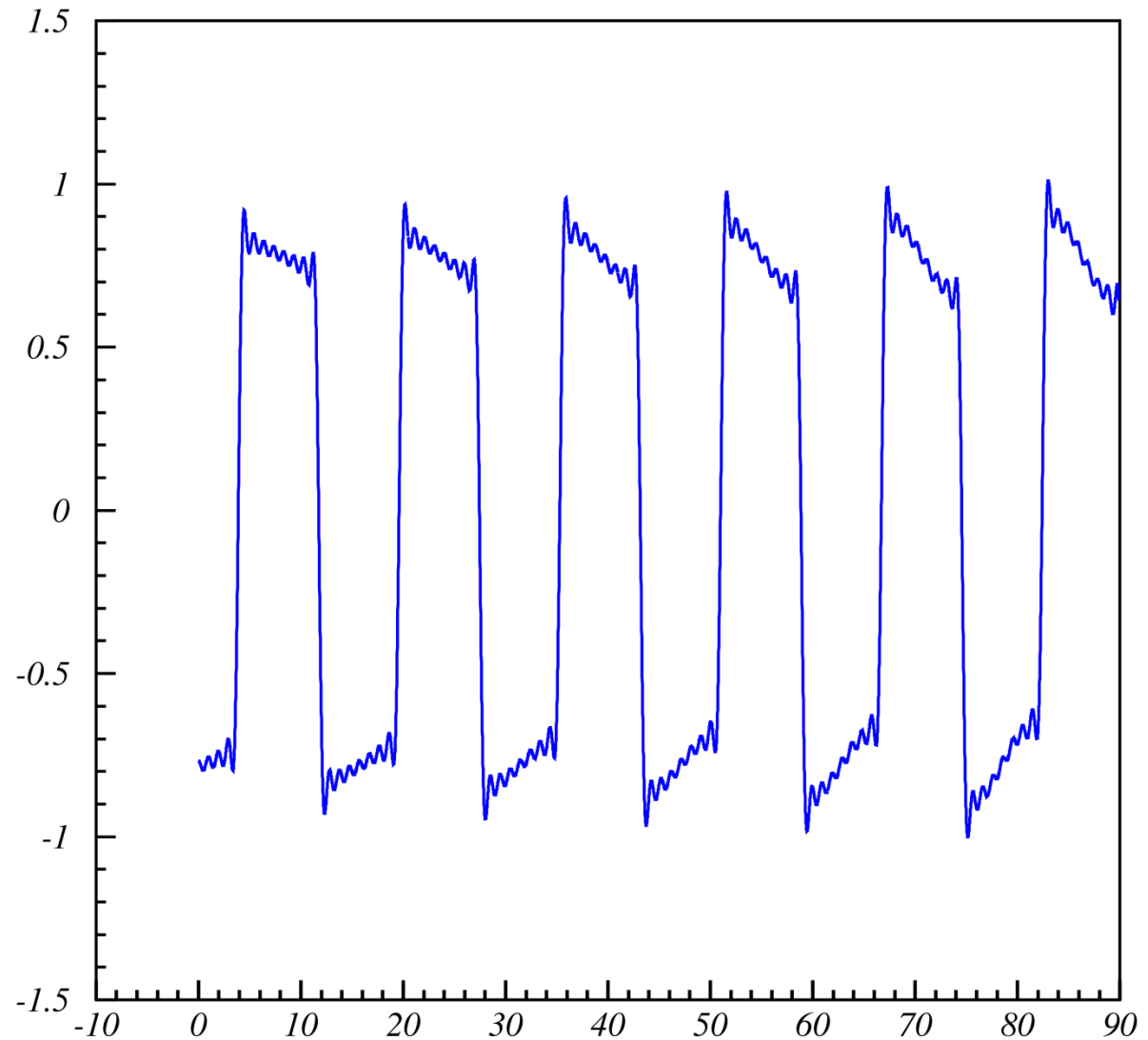
- I used the SU2 package to model the propagator:

```
auto propagator(real x, real t, real f){
{
  real gamma = sqrt(1+f*f*Ld*Ld/c/c)
  real beta  = sqrt(gamma*gamma-1) / gamma ;
  return e^(-(1+sx*beta)*(j*sy)*(x-beta*c*t)
            *gamma*gamma/Ld) ;}
```



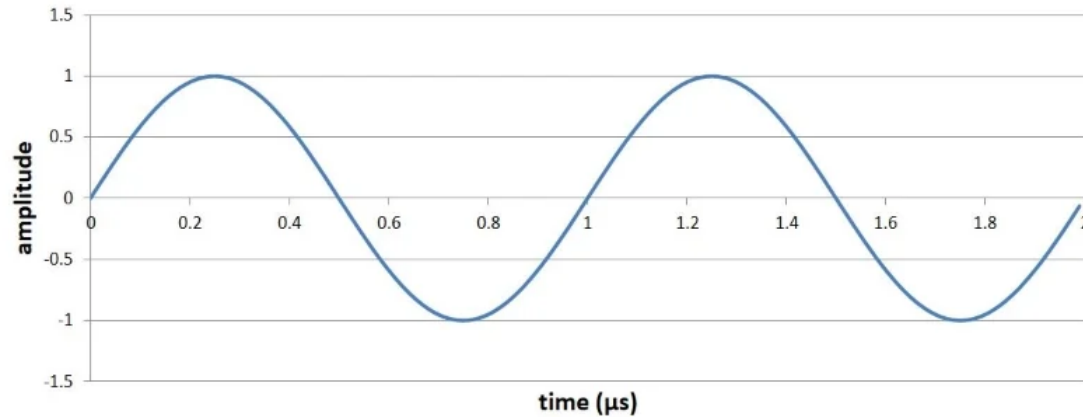
SU2 package

- I obtained a very nice
solution of square
wave dispersion:

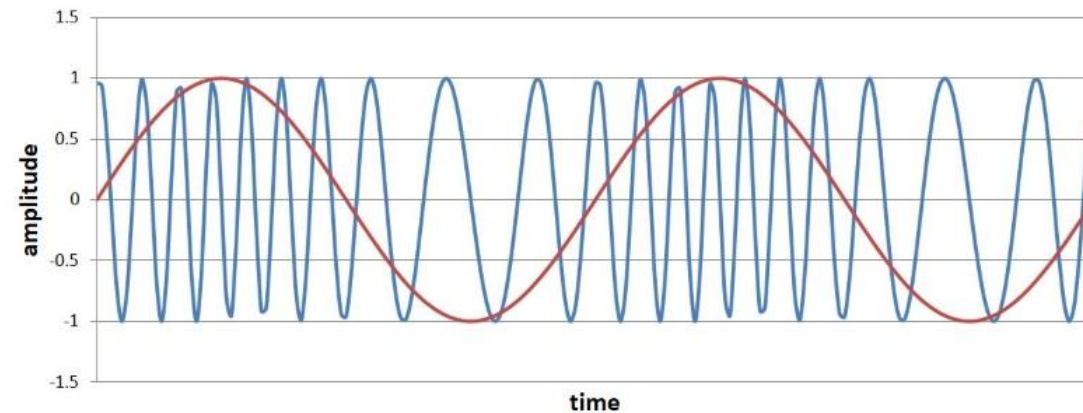


Radio frequency modulation

Baseband Signal



Frequency Modulation



Shift keying:

- ASK, *amplitude*
- FSK, *frequency*
- PSK, *phase*
- ASK-LSB
- ASK-USB

Magic sample number

- RF wave $y = p + A \sin(2\pi ft + \phi)$

sampling **1 : 3.675**

f_0 **12000 Hz**

Δ **1 / 44100 s**

- **pedestal**: find from average

$$\langle y \rangle = p + A_e \sin\left(2\pi ft \frac{t_i + t_f}{2} + \phi\right) \operatorname{sinc}\left(\frac{2\pi f \Delta t}{2}\right)$$

$$A_e = \frac{A}{\operatorname{sinc}(\pi f \Delta)}$$

- **magic N**: $\Delta t = 11\Delta \dots \delta p = 0.0023 A_e$



Amplitude

- same $N = 11$: $\langle \delta^2 y \rangle = A_e \langle \delta^2(\sin) \rangle$

Frequency

- same $N = 11$: $\langle y(y - y_{k\Delta}) \rangle = pA_e(\langle \sin \rangle - \langle \sin_{k\Delta} \rangle)$
+
 $A_e^2(\langle \sin^2 \rangle - \langle \sin \cdot \sin_{k\Delta} \rangle)$
 $\simeq A_e^2 \sin^2\left(\frac{2\pi f k \Delta}{2}\right)$
 $\simeq \pi k \Delta A_e^2 \sin(2\pi f k \Delta) \cdot \delta f$

($k = 1$; max sensitivity)



Phase

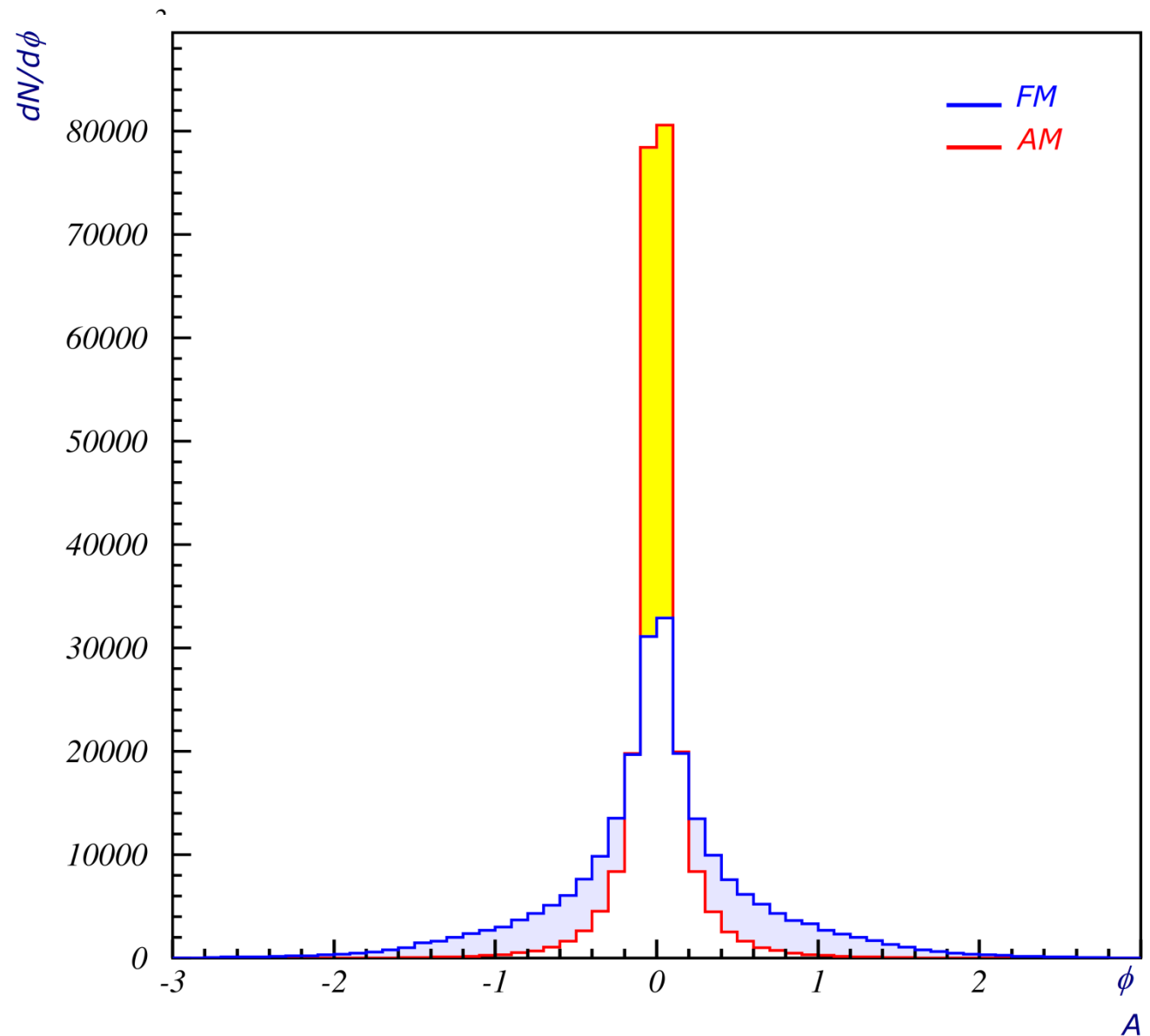
$$- \delta\phi = \phi_{\text{current}} - \phi_{\text{previous}}$$

$$\langle y \cdot \cos(\pi ft) \rangle \simeq \frac{A_e}{2} \sin\phi$$

- next: form *features*



Distributions



Parameter - 13

$N/d\phi$

phi 1 = (L2-L1) * d_phi

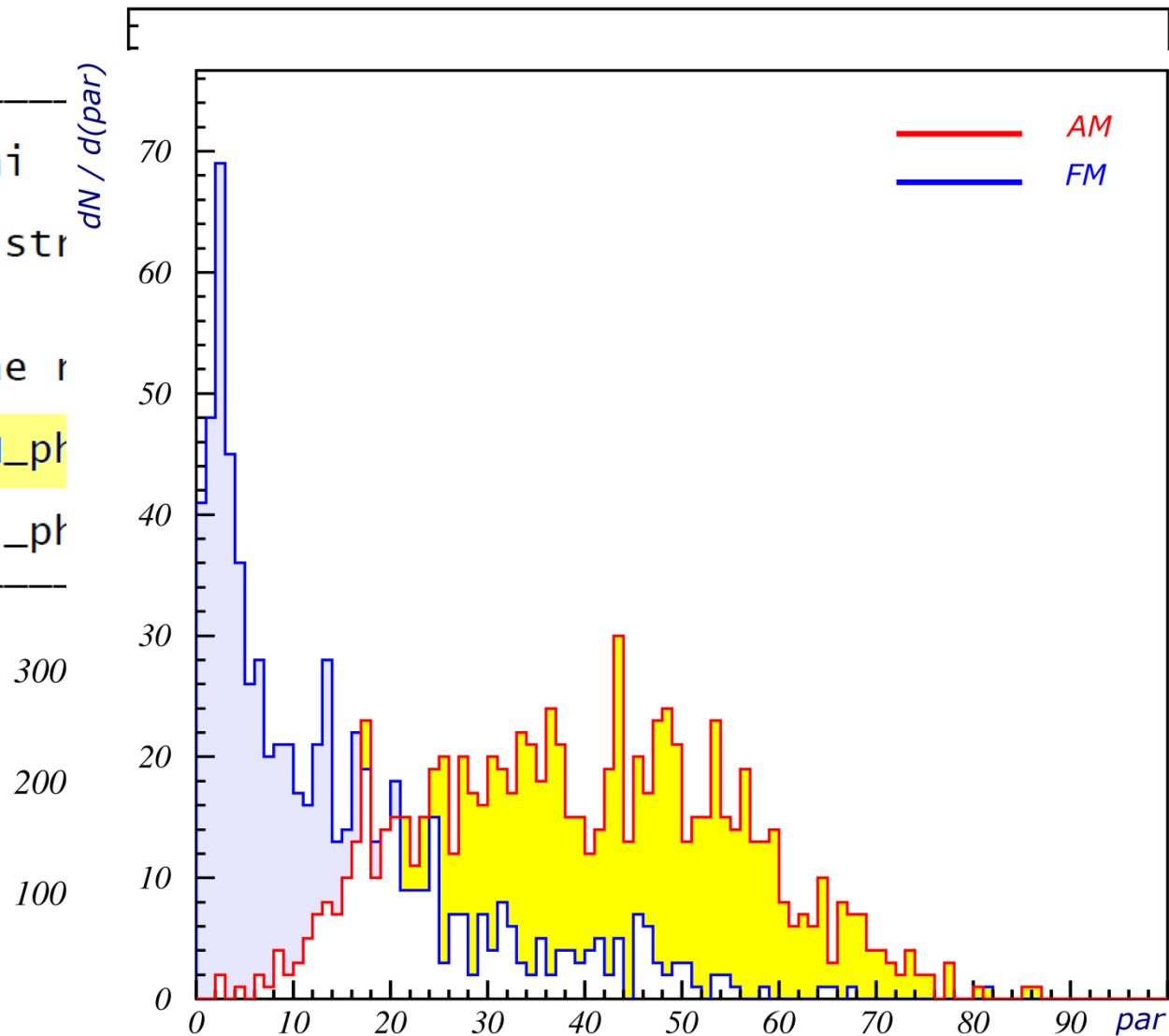
$dN / d(par)$

L1 = where distr
L2 =

2 = <distr.> in the r

3 = <N_phi> - <1/N_ph

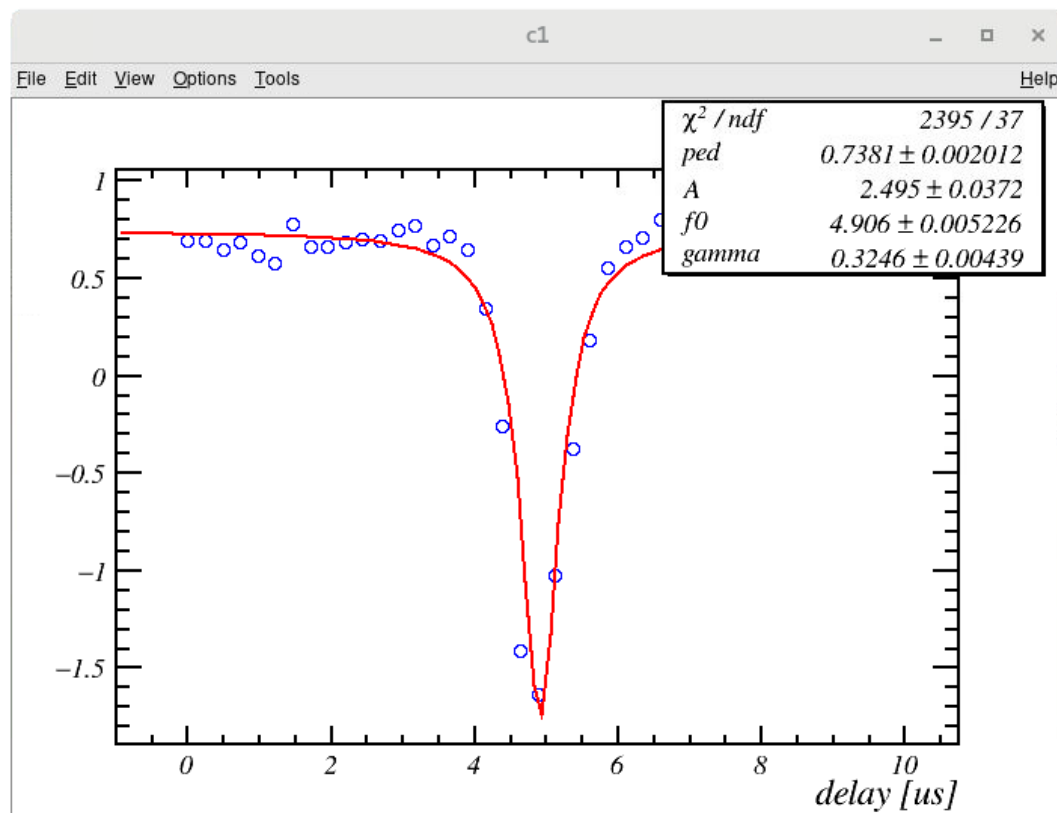
4 = <N_phi*delta^2_ph



- I downloaded from CERN the ROOT-5.34 (Windows)

- I learned how to write my own macro and do fits

```
// _____ ROOT FITS _____  
  
void myfit() {  
  
// TGraph gr ("data.txt", "%lg %lg");  
// TGraph grr ("test.txt", "%lg %*lg %lg");  
// TGraph grrr("test.txt", "%lg %*lg %*lg %lg")  
  
gStyle->SetOptFit (1)  
gStyle->SetLineWidth(2)  
  
TGraphErrors* gr = new TGraphErrors("z1.txt")  
  
Int_t N = gr->GetN()  
Double_t x,y  
for (Int_t i=0; i<N; i++) {  
    gr->GetPoint (i, x, y)  
    gr->SetPointError(i, 0.01, 0.01)  
    gr->SetPoint (i, x/4.1, y)  
  
TF1 fit("fit", "([0]-[1]/(1+(x-[2])*(x-[2]))/[3])/[3])")  
  
    fit.SetParName (0, "ped" )  
    fit.SetParName (1, "A" )  
    fit.SetParName (2, "f0" )  
    fit.SetParName (3, "gamma")  
  
    fit.SetParameter(0, 0.500 )  
    fit.SetParameter(1, 2.500 )  
    fit.SetParameter(2, 4.700 )  
    fit.SetParameter(3, 0.500 )  
  
gr->Fit("fit")  
}
```



```
Terminal  
File Edit View Search Terminal Help  
3 f0 4.90565e+00 5.22569e-03 5.71770e-05 -1.89307e-02  
4 gamma 3.24610e-01 4.39030e-03 5.10759e-05 -6.67857e-02  
root [3]
```



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MLP run-through

Input Layer

bias	X1	X2
1	0	1
1	0	0
1	0	0
1	1	0

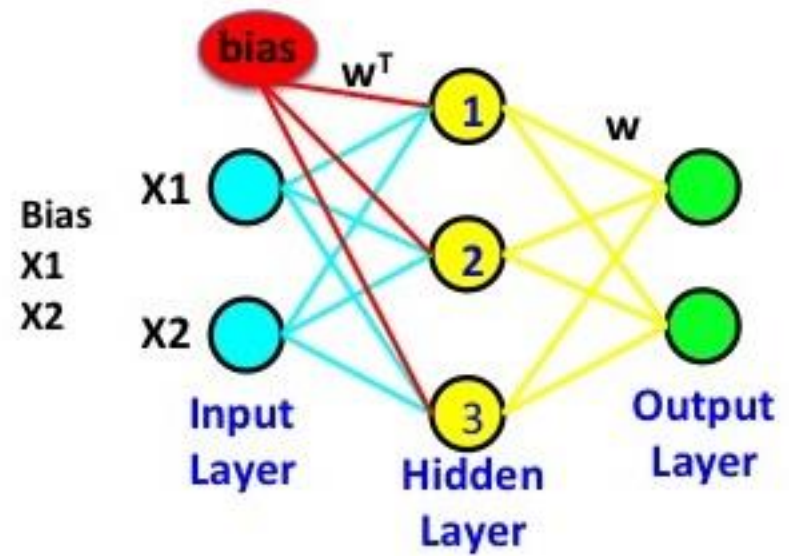
4 x 3

Weights w^T (transposed)

.5	.5	.5
.5	.5	.5
.5	.5	.5

3 x 3

Go to Hidden Nodes



Hidden Layer

Bias	1	1	1
Node 1	.5	.5	.5
Node 2	.5	.5	.5
Node 3	1	1	1

4 x 3

Sigmoid Function

$\frac{1}{1 + e^{-(wx+b)}}$

Weights

.2	.1
.4	.1
.4	.1

3 x 2

Output Layer

1	.3
.5	.15
.5	.15
1	.3

4 x 2

Sigmoid Function

$\frac{1}{1 + e^{-(wx+b)}}$

Output

1	0
1	0
1	0
1	0





Public Types

```
enum EDataset { kTraining, kTest }  
enum ELearningMethod {  
    kStochastic, kBatch, kSteepestDescent, kRibierePolak,  
    kFletcherReeves, kBFGS  
}
```

► Public Types inherited from **TObject**

Public Member Functions

TMultiLayerPerceptron ()

Default constructor. [More...](#)

TMultiLayerPerceptron (const char *layout, const char *weight, **TTree** *data, **TEventList** *training, **TEventList** *test, **TNeuron::ENeuronType** type=**TNeuron::kSigmoid**, const char *extF="", const char *extD="")

The network is described by a simple string: The input/output layers are defined by giving the branch names separated by comas. [More...](#)



Learn a function

- *example: radial field of a magnet*

```
// read data _____  
TTree* t = new TTree("treename", "description") ;  
    // (r,z) = cylindrical coordinates  
    // Br    = radial component of magnetic field  
Int_t nlines = t->ReadFile("Br.dat","r:z:Br") ;  
  
// MLP setup _____  
TMultiLayerPerceptron *mlp =  
    new TMultiLayerPerceptron("@r,@z:10:10:10:@Br",  
                               t,  
                               "Entry$%2"  
                               "(Entry$+1)%2" ) ;  
  
    // i/p      = r, z (both normed: @)  
    // mid-layers = 10+10+10 neurons  
    // o/p      = Br (normed: @)  
    //  
    // training set = even,  Entry$%2      = true  
    // testing  set = odd , (Entry$+1)%2 = true
```



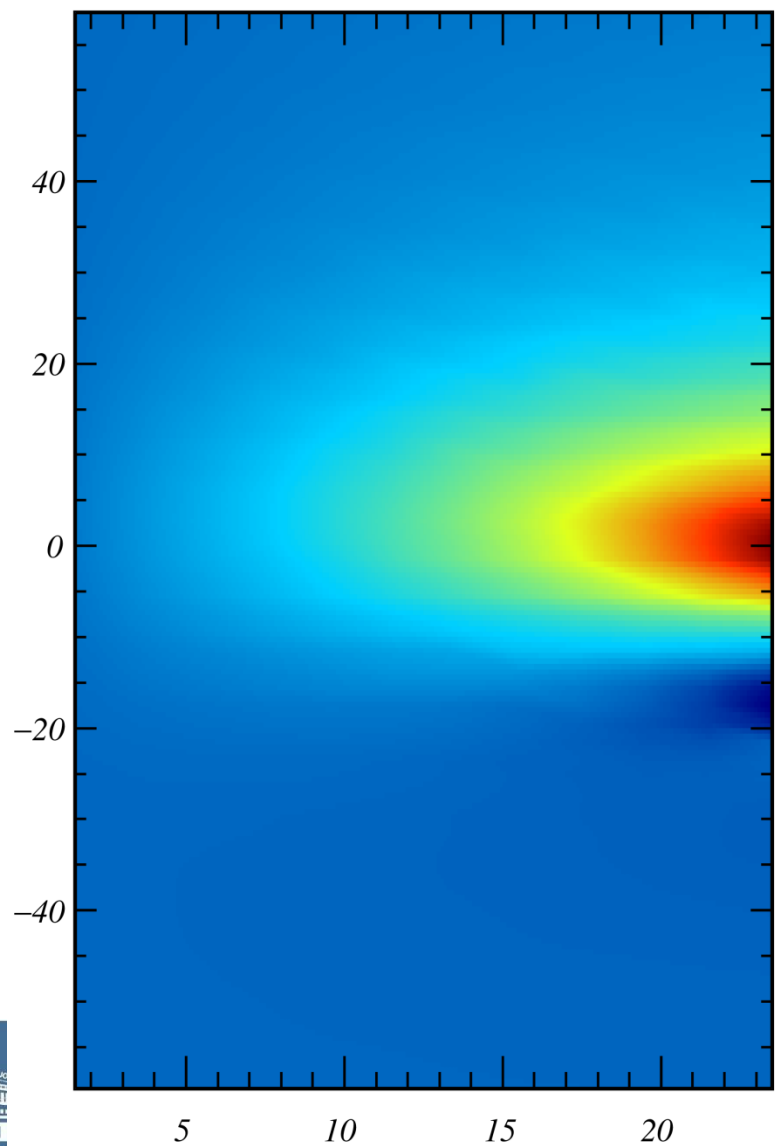
Regression analysis

```
// set learn method _____  
mlp->SetLearningMethod(TMULTILayerPerceptron::kBFGS ) ;  
  
// kStochastic = default  
// kBatch  
// kSteepestDescent  
// kRibierePolak  
// kFletcherReeves  
// kBFGS  
  
// training _____  
mlp->Train( 1000  
           "text,update=100" ) ;  
  
// 1000 events  
// write text to console  
// updates every 100 epochs
```

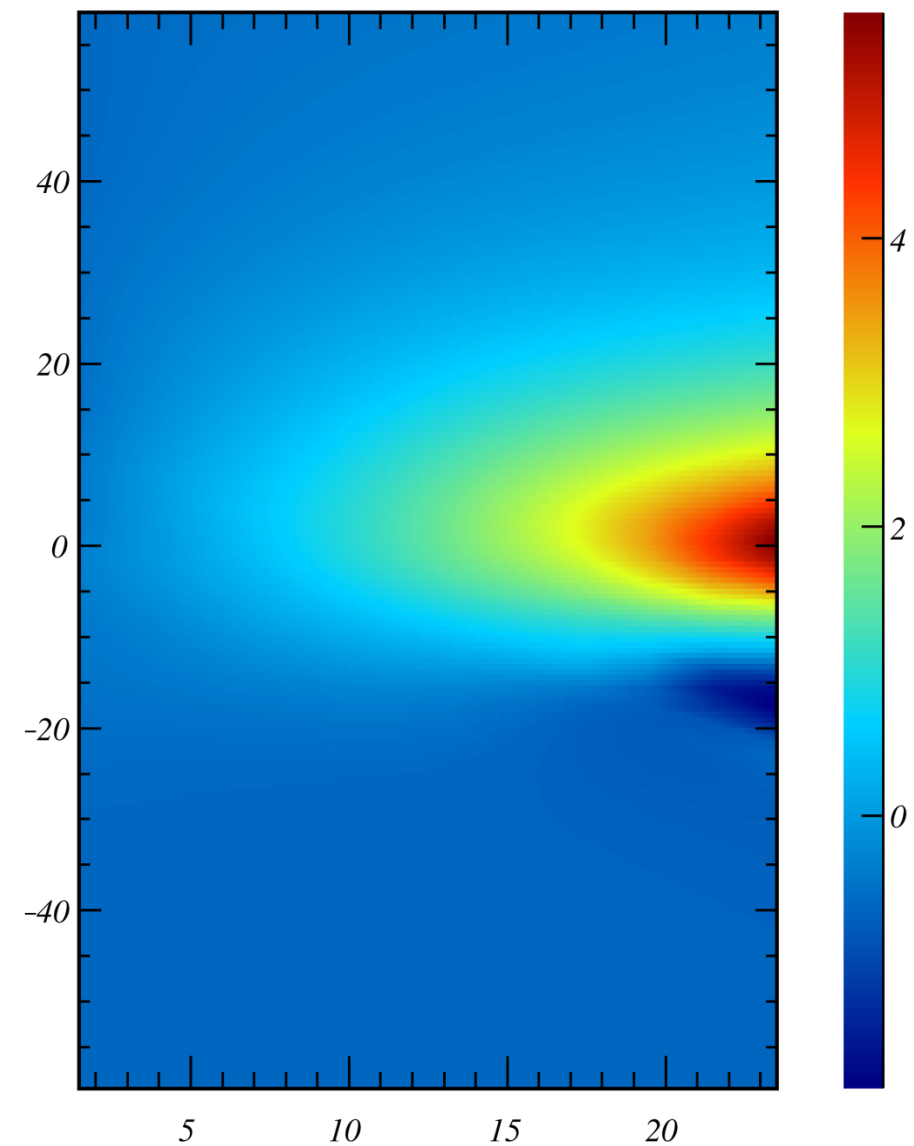


Regression analysis

from data



from ANN calculation



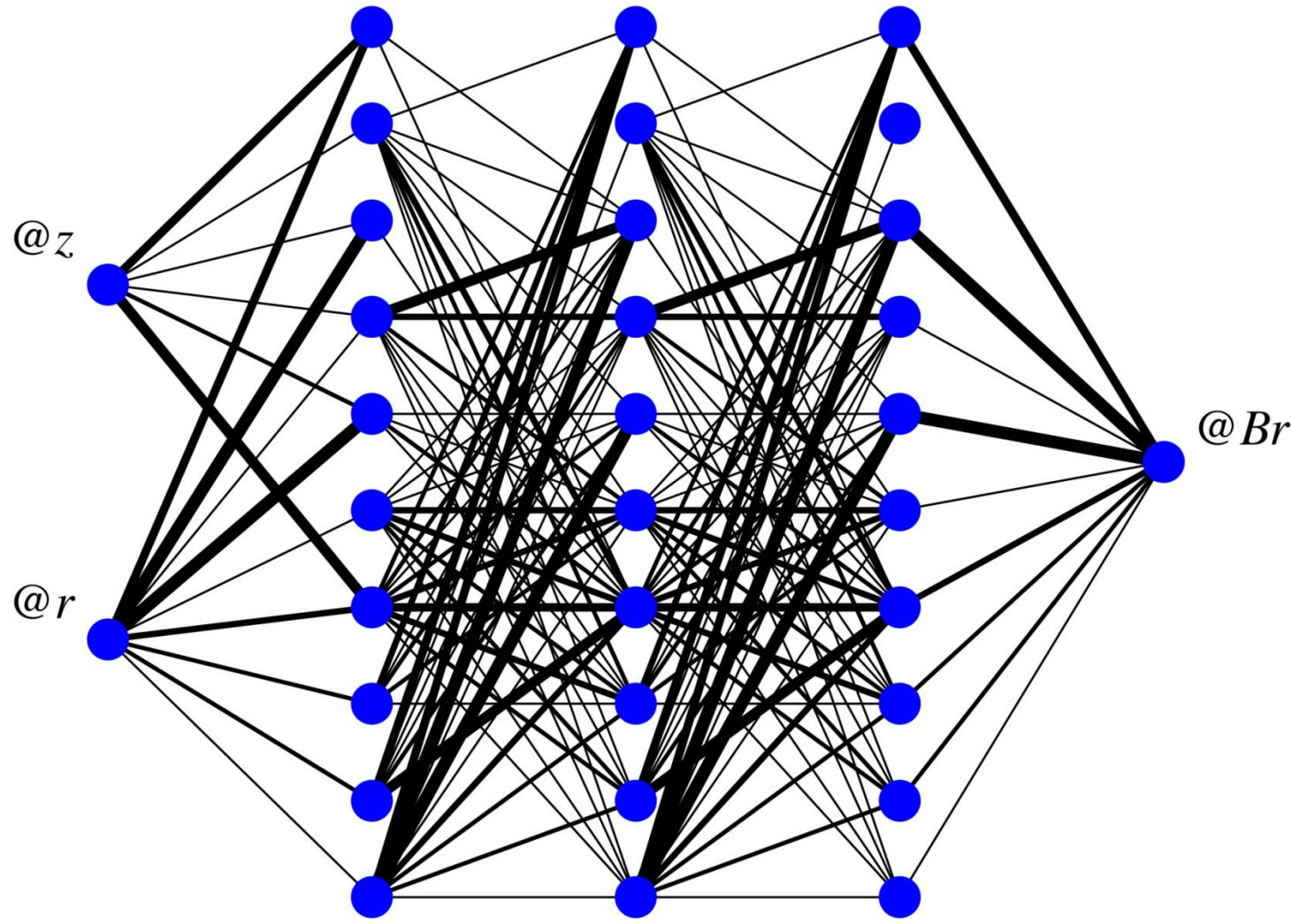
Regression analysis

```
// TMLPAnalyzer _____  
TCanvas* mlp_analysis_canvas = new TCanvas("canvasname",  
                                           "description") ;  
  
// give the trained mlp object _____  
TMLPAnalyzer* mlp_analyzer = new TMLPAnalyzer(mlp) ;  
  
// init _____  
mlp_analyzer->GatherInformations() ;  
  
// print info _____  
mlp_analyzer->CheckNetwork() ;  
  
// x-axis = derivative of the NN with respect to each  
//           input how the NN changes for 1 unit of input  
//           low-impact variables = low x  
//           high-impact variables = high x  
//           extreme sensitivity to some variable ?  
//           risk of high systematics ?  
// y-axis = number of entries  
  
mlp_analyzer->DrawDInputs() ;
```



Regression analysis

```
// show network structure _____  
mlp->Draw() ;
```



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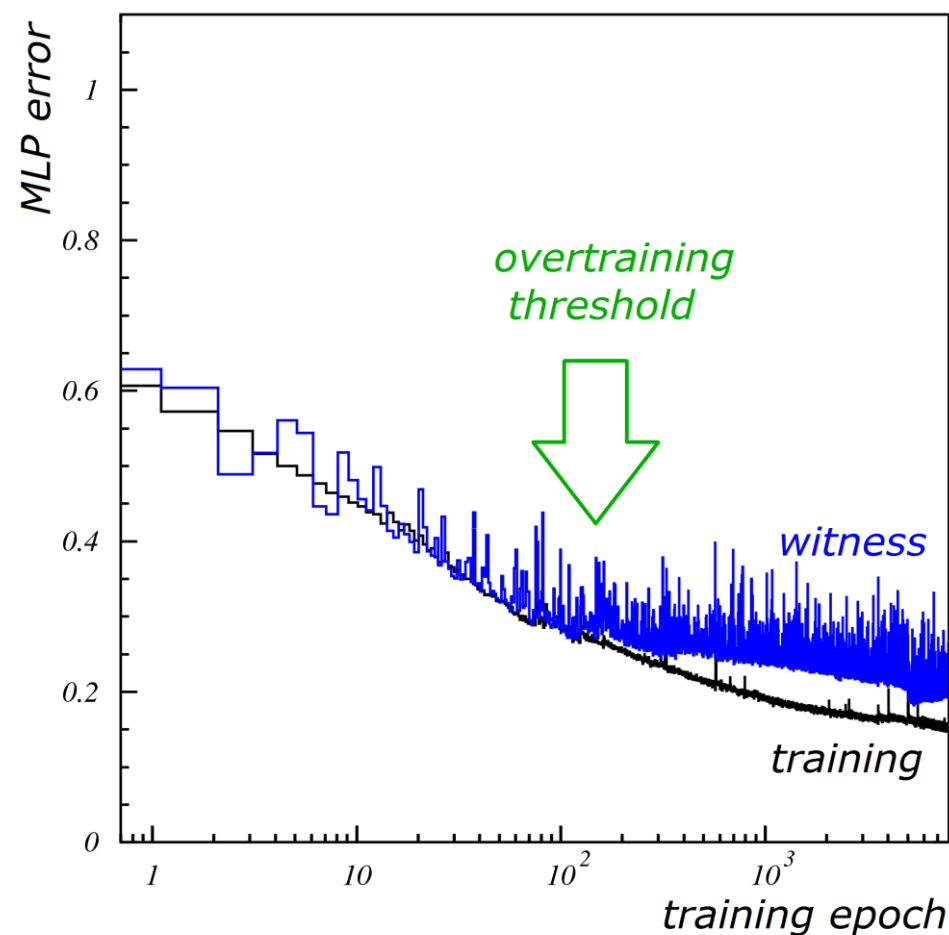


RF-modulation classification

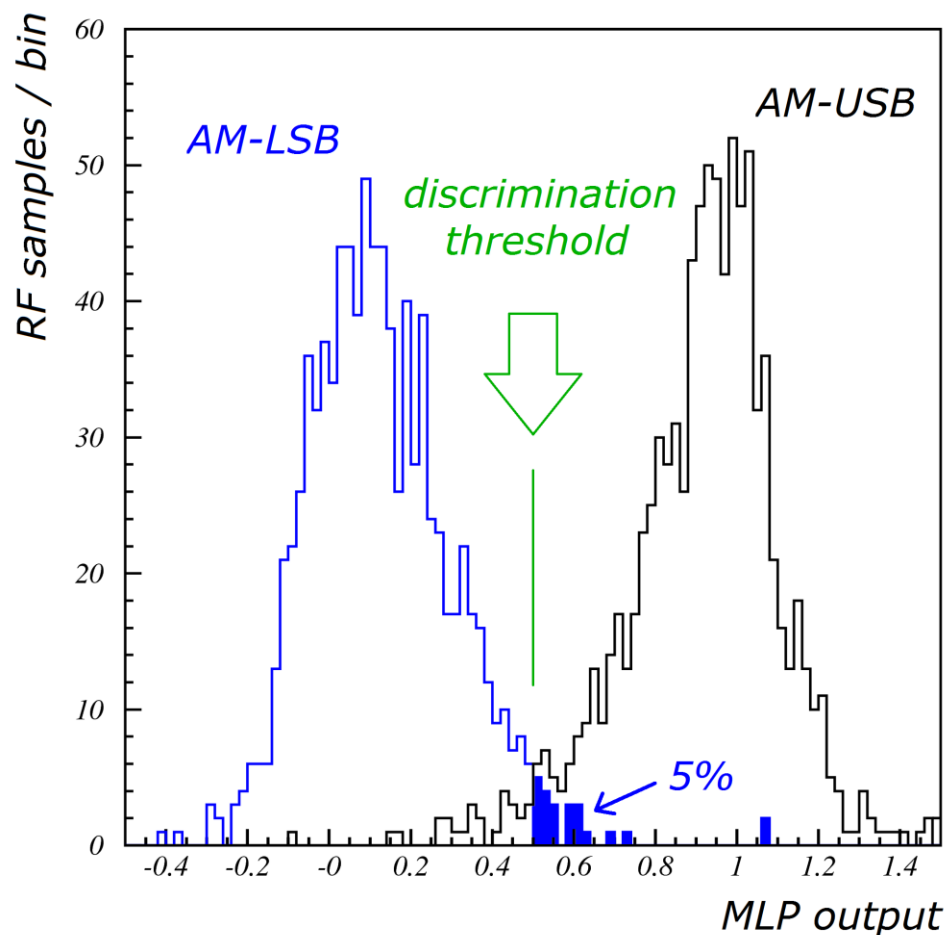
- I tested various combinations of the parameters (ped , A , f , φ):
 - to form features for the multi-layer perceptron and
 - train a neural network to discriminate:
 - ▷ AM-LSB vs. AM-USB modulation
- I evaluated the neural network and the results were very good



AM-LSB vs. AM-USB classification



neural network training



neural network evaluation



Personal opinions

- *I learned more advanced aspects of C++ (separate model compilation, issue limited instantiation, polymorphism, SFINAE)*
- *We had access to the supercomputing cluster HybriLIT of JINR, which was very cool*
- *I learned to use the ROOT package from CERN and the Multi-Layer Perceptron utilities inside it*
- *We were given example data and code for a number of neuro-software applications – of which I detailed here the RF-modulation classifier*
- *The professors were very good and friendly, I highly recommend this student training programme !*

